

V. Lia
MIT

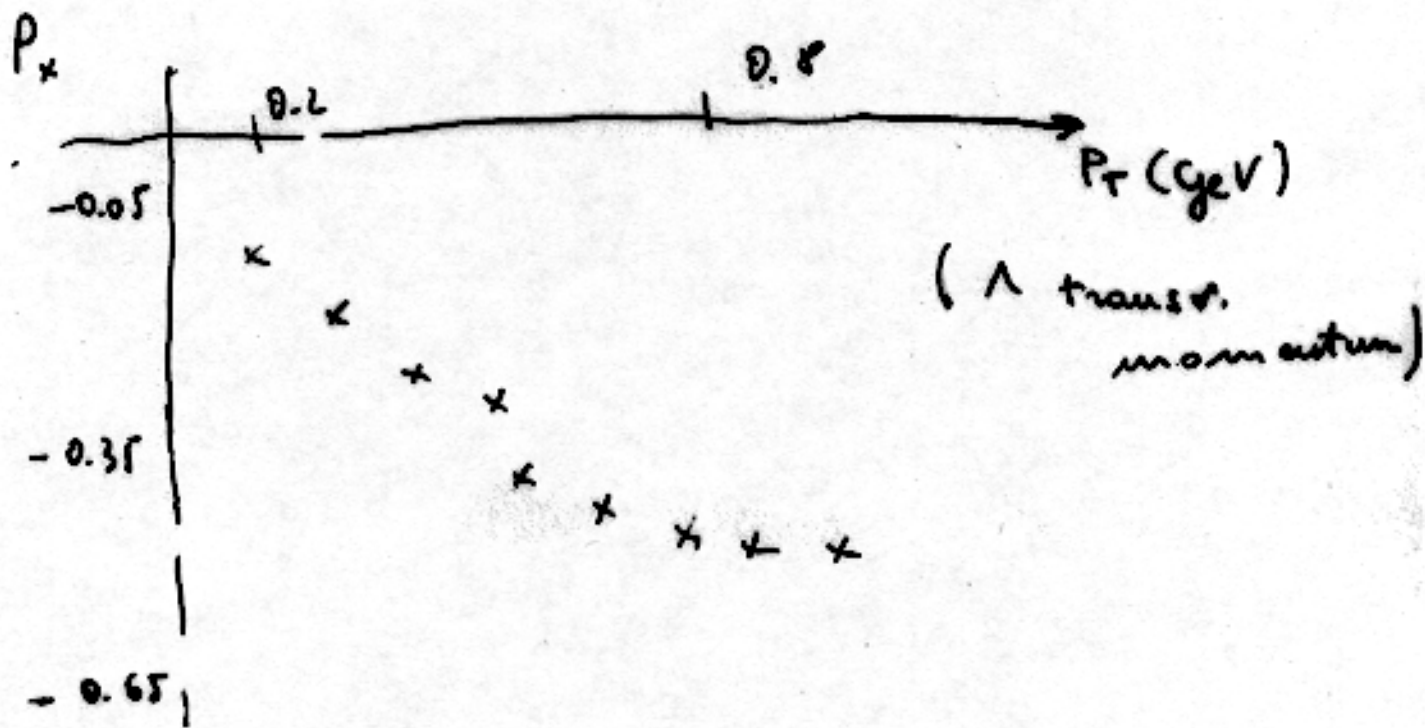
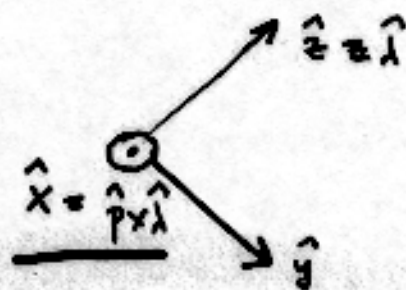
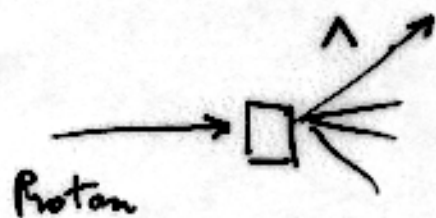
6/23/00

^ transverse polarization

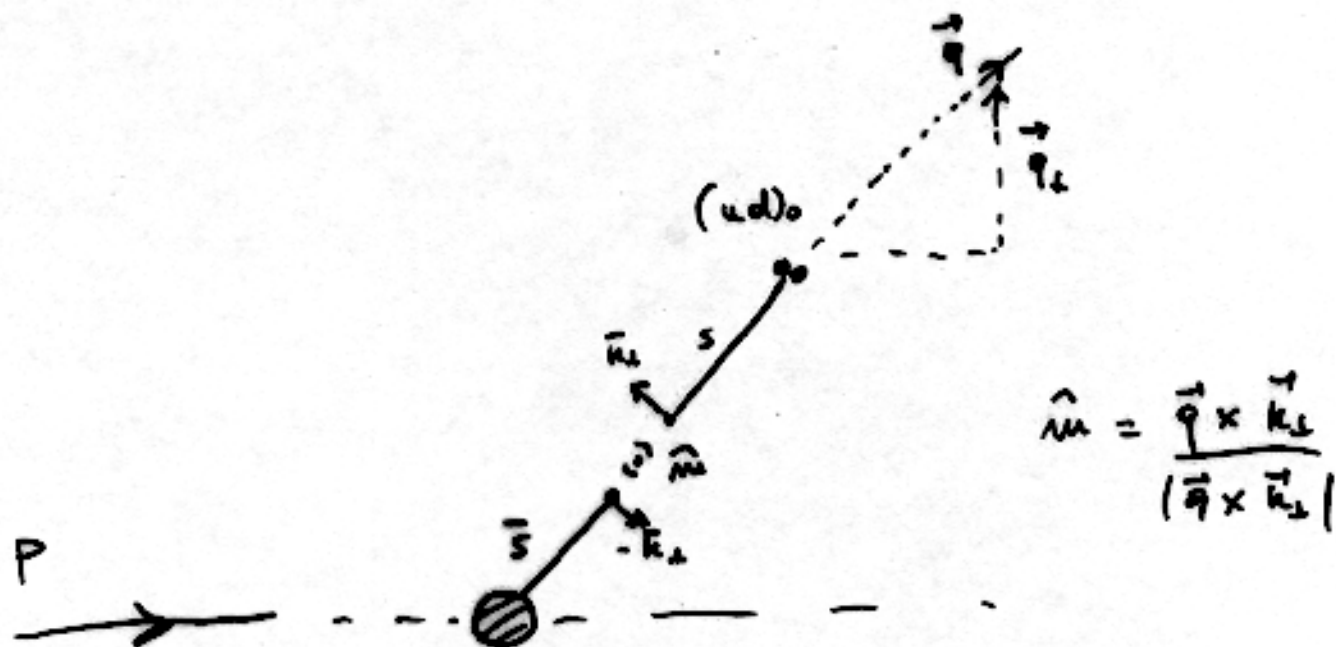
Introduction

- * Perturbative QCD does not predict any large polarization effect in hard scattering processes.
- * Λ produced in eg. fixed target experiments, p-p collisions, deep inelastic muon scattering, etc. show significant transverse polarization.
- * Existing models do not account for experimental findings.
- * One can ask what happens in e^+e^- collisions.

→ The context of a fixed target experiment



AGI (1979)

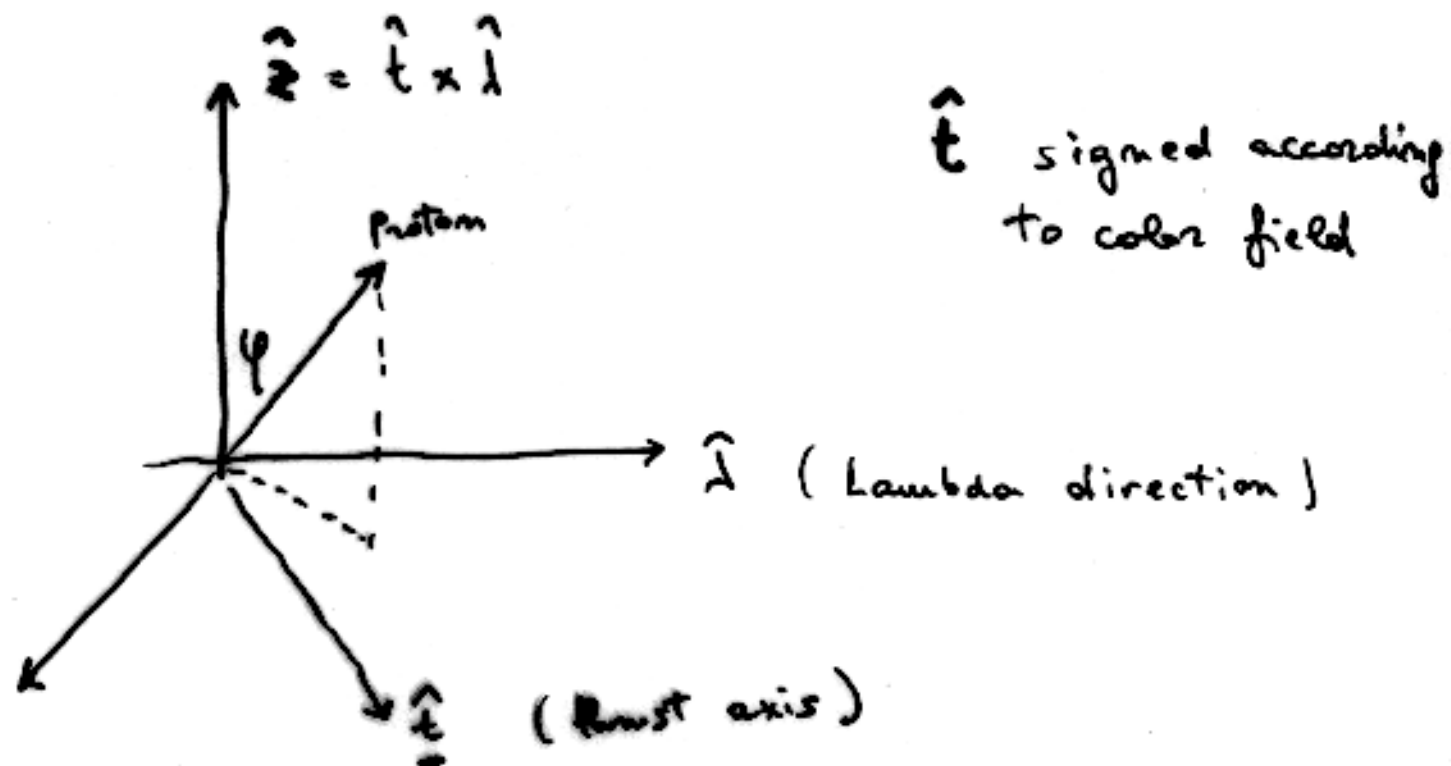


- * $s\bar{s}$ created at a distance to preserve energy-mom. conservation $\Rightarrow s\bar{s}$ develops angular momentum $\Rightarrow s\bar{s}$ needs spin to compensate that.
- * (ud)₀ picks up s and therefore inherits its spin. $\Rightarrow \Lambda$ is polarized along \hat{m} .
- * Polarization correlated with \vec{k}_\perp .

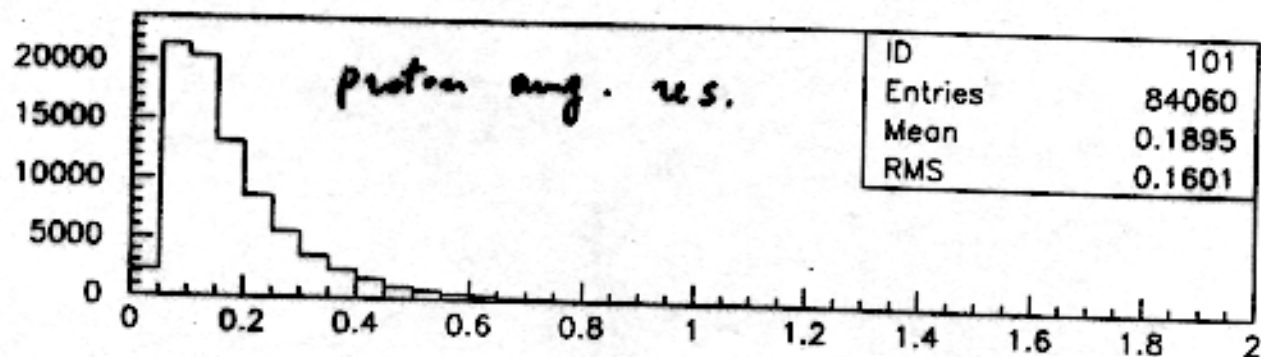
In the context of e^+e^- collisions one can ask:

- Q(1) Is Λ produced "transversely" polarized?
- Q(2) What is the "transverse" direction?
- Q(3) Does "Lund" model work? (i.e. AGI, 1979)

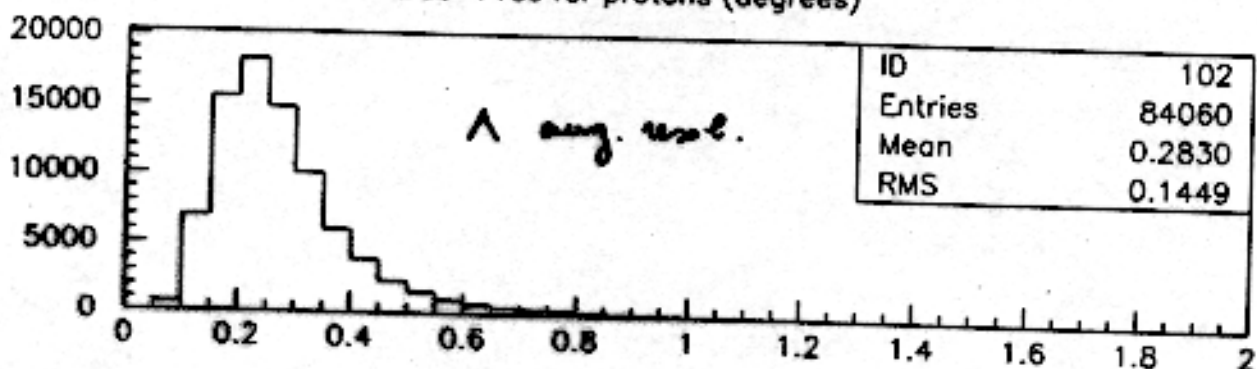
The natural choice for "transverse" direction is \hat{t} :



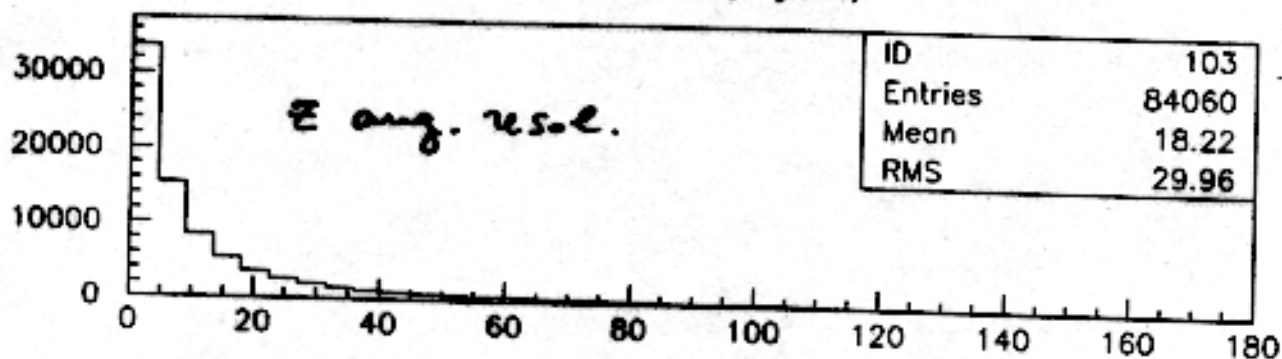
Some angular resolutions



Ptrue-Prec for protons (degrees)



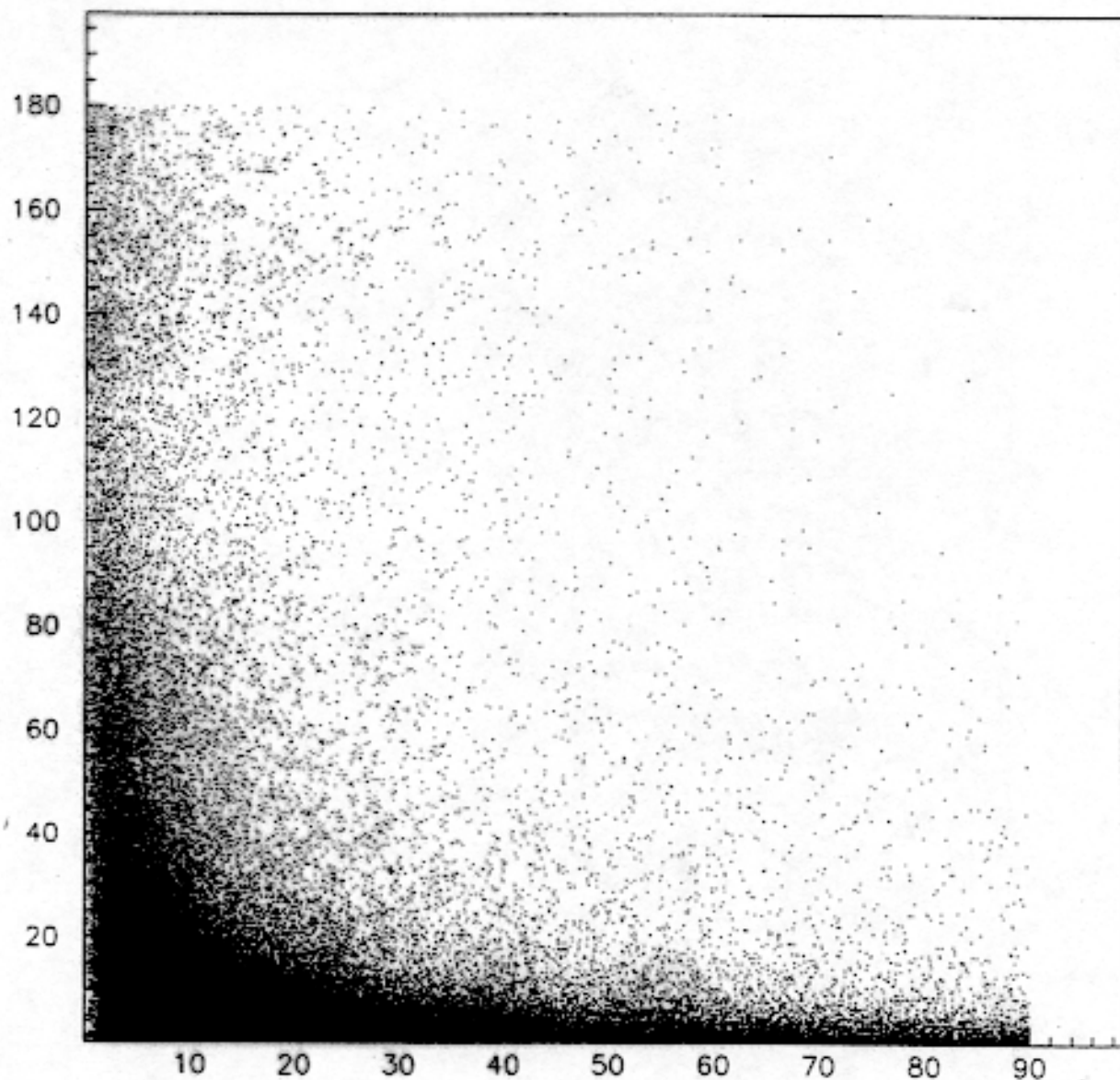
Ptrue-Prec for lambda (degrees)



Z-Zprime (degrees)

$$\hat{z} = \hat{t} \times \hat{1}$$

$\theta_{\hat{\epsilon}-\hat{\lambda}}$



THZZ VS $\text{ASIN}(\text{PLTR}/(\text{PV}+0.000001)) \cdot 180/3.1415$

$\theta_{\hat{\epsilon}-\hat{\lambda}}$ (degrees)

$$\hat{\lambda} = \hat{\epsilon} \times \hat{\lambda}$$

$$\theta = \hat{\epsilon} \uparrow \wedge$$

Sensitivity issues

1. Due to thrust axis resolution a dilution factor of $\approx 82\%$ is expected
2. For AGI model expect $\approx 40\%$ dilution factor due to $q(\bar{q})$ direction misassignment, given $\approx 70\%$ polarisation

Analysis

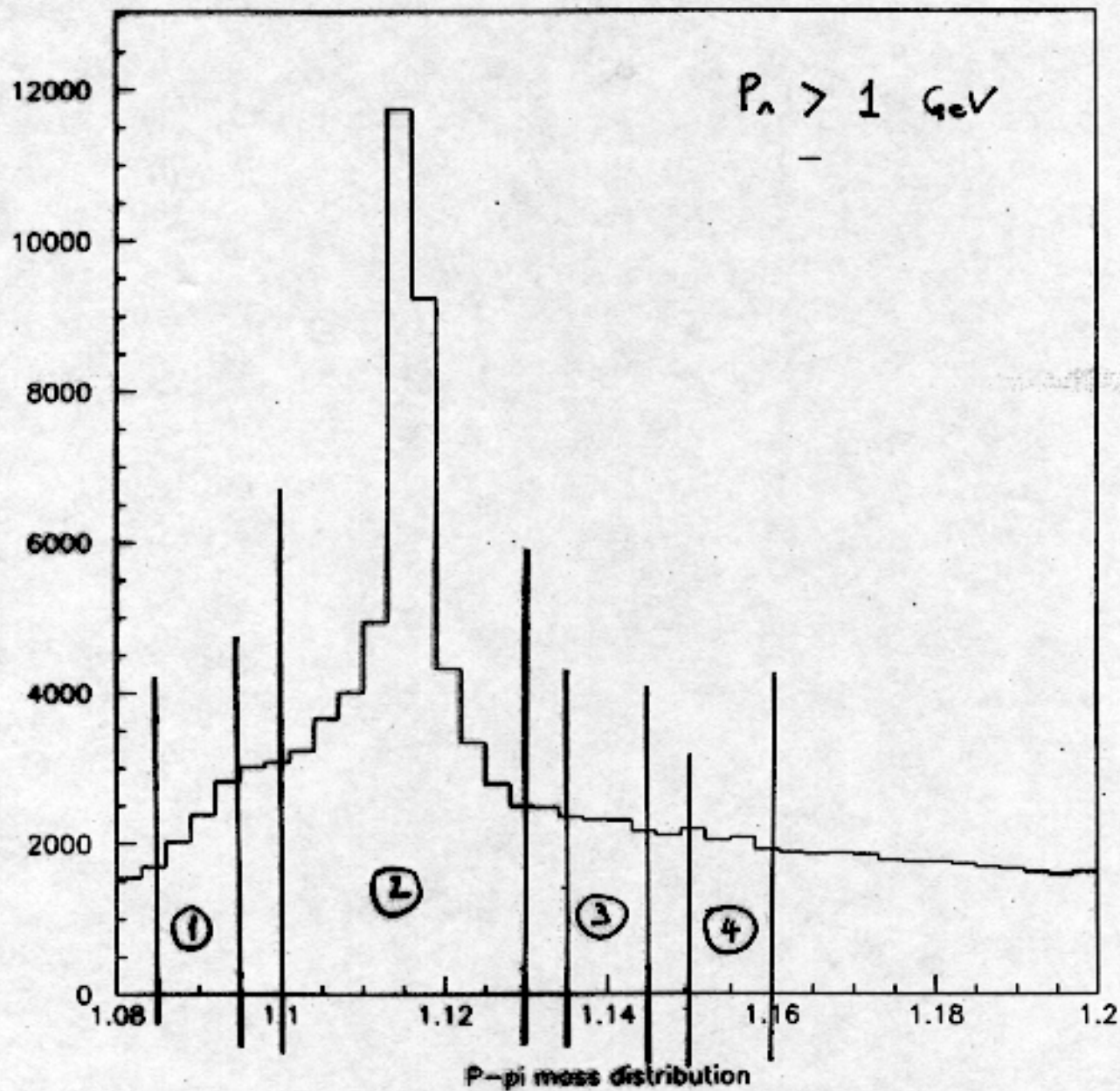
- * Like for any other direction, can explore polarization along \hat{z} by using

$$\frac{dN}{d(\cos\varphi^*)} \propto 1 + \alpha P_L \cos\varphi^* \quad (\Lambda \rightarrow p\pi)$$

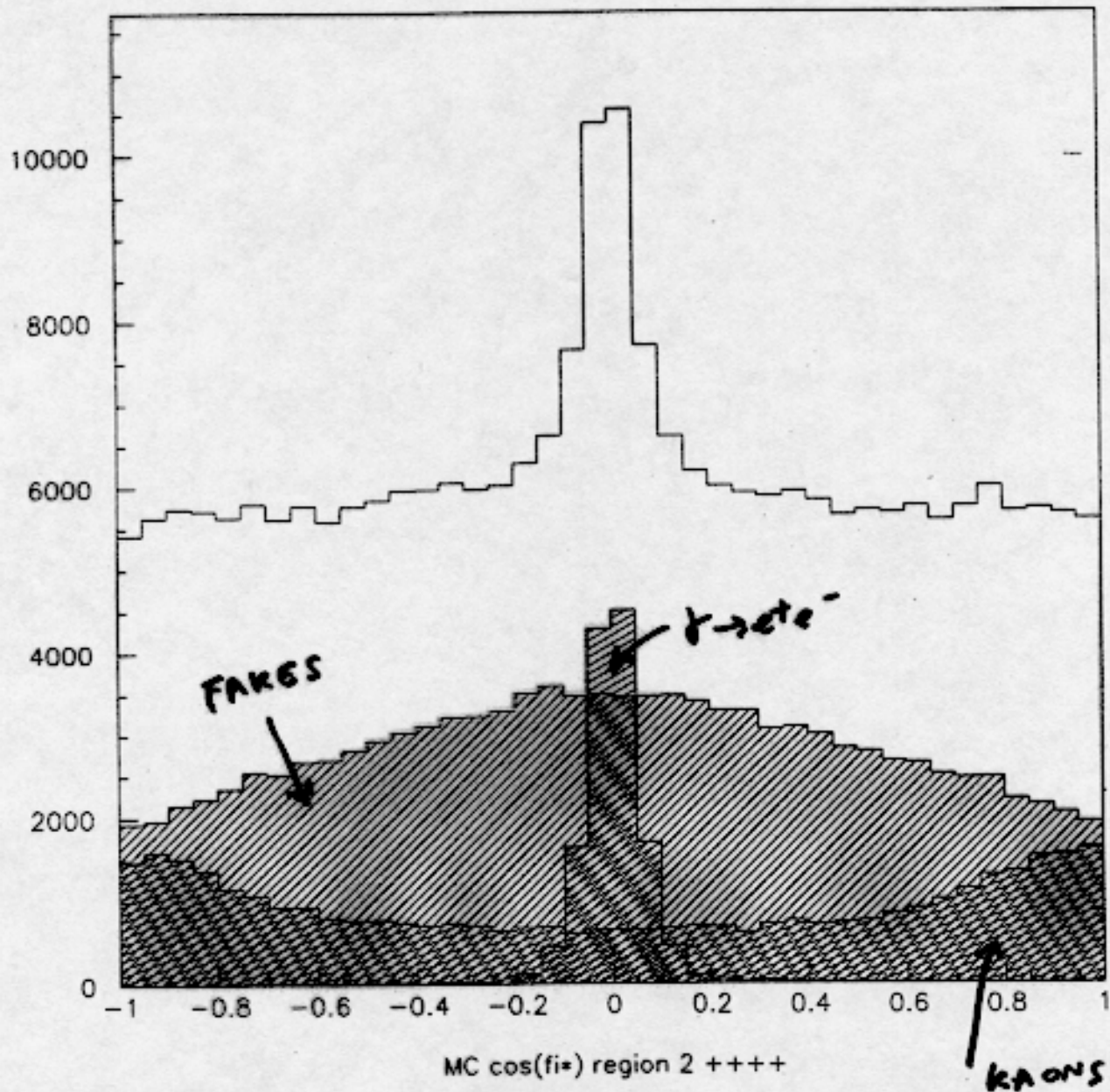
with φ^* computed in Λ rest frame.

- * Select Λ candidates by using Ken's cuts.
- * Take background shape from MC
- * Check MC/data agreement for background from sidebands around Λ peak - Eventually re-weight MC.
- * Make a likelihood fit of $dN/d(\cos\varphi^*)$ to extract polarization.

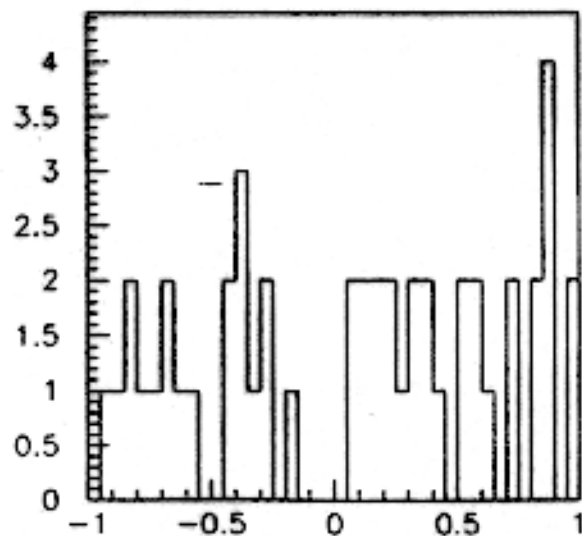
P- π MASS



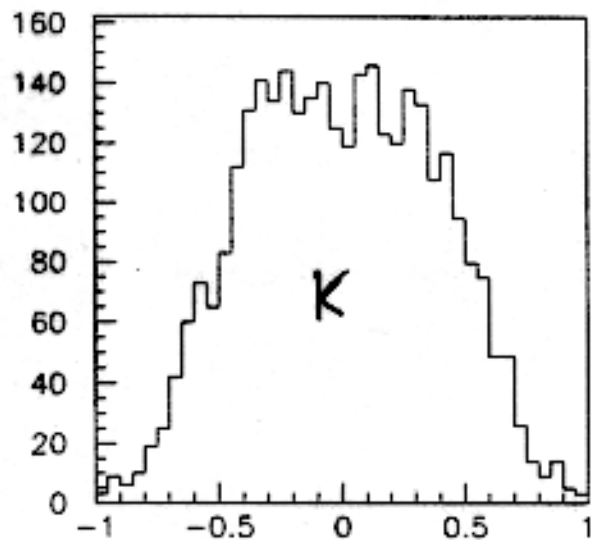
MC $\cos\psi^*$



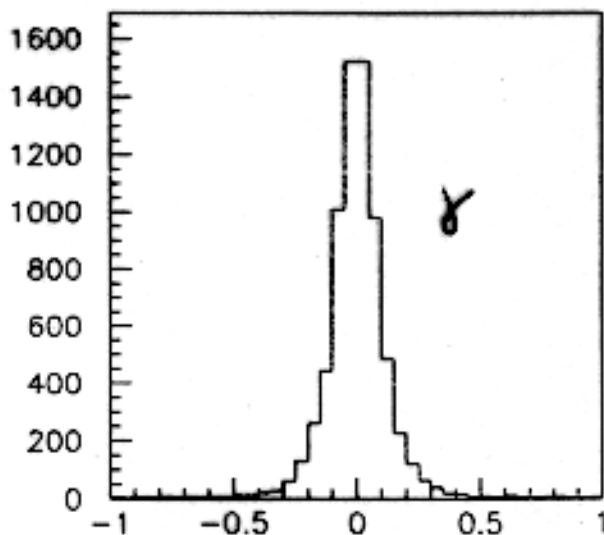
MC Region 1 Breakdown



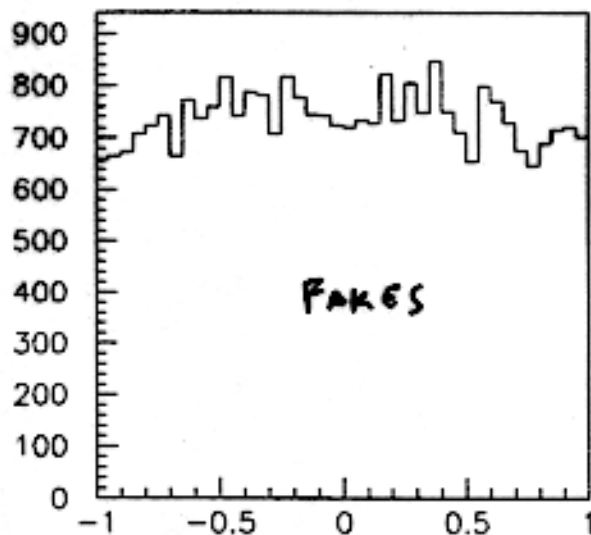
$\lambda \cos(\theta_i^*)$ region 1 ++++



MC kaons $\cos(\theta_i^*)$ region 1 ++++

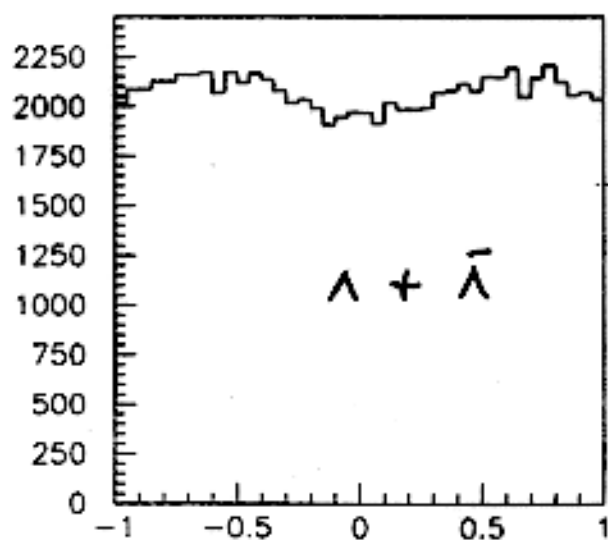


MC gamma $\cos(\theta_i^*)$ region 1 ++++

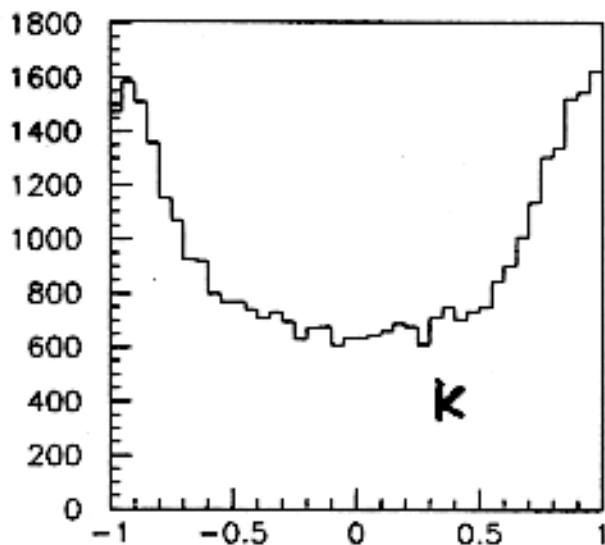


MC fakes $\cos(\theta_i^*)$ region 1 ++++

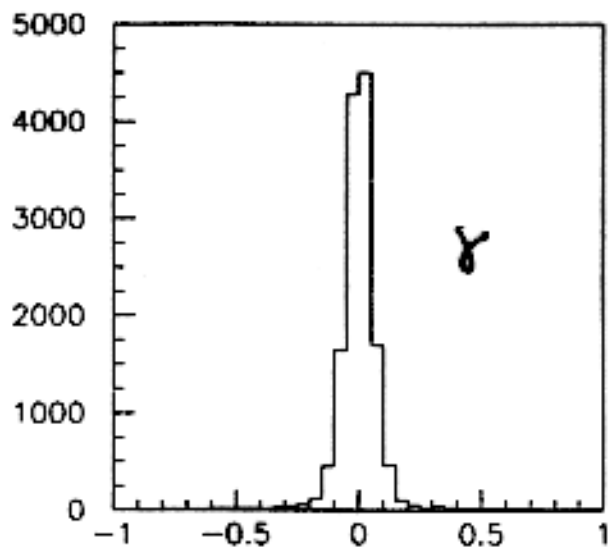
MC Region 2 Breakdown



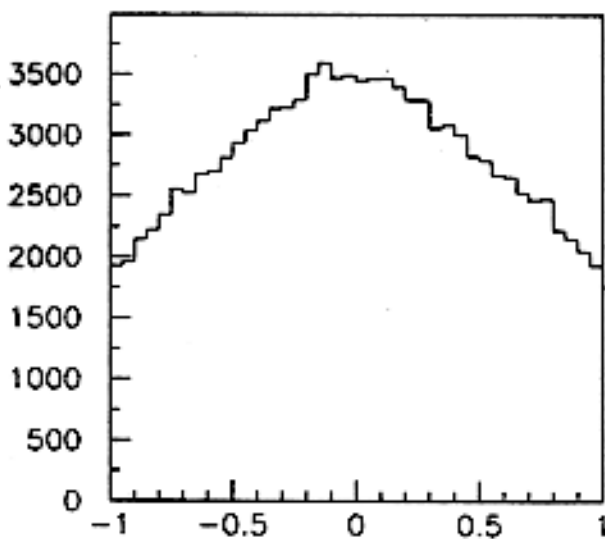
lambda cos(phi*) region 2 ++++



MC koons cos(phi*) region 2 ++++



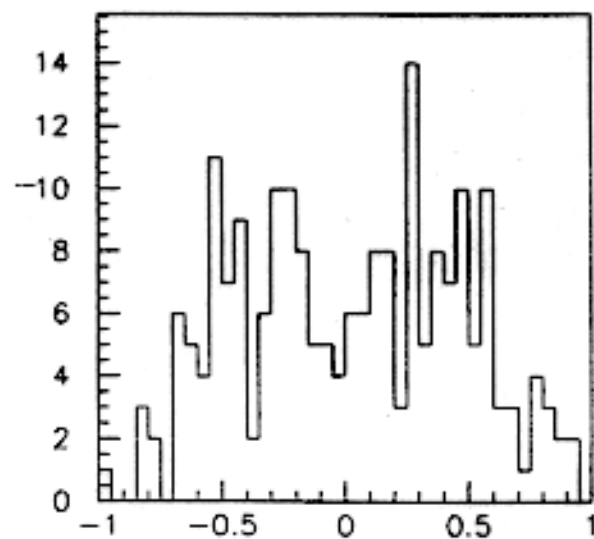
MC gammo cos(phi*) region 2 ++++



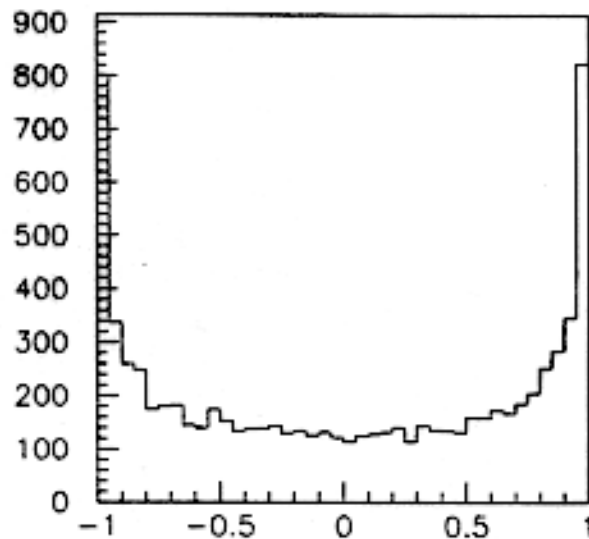
MC fakes cos(phi*) region 2 ++++

MC Region 3

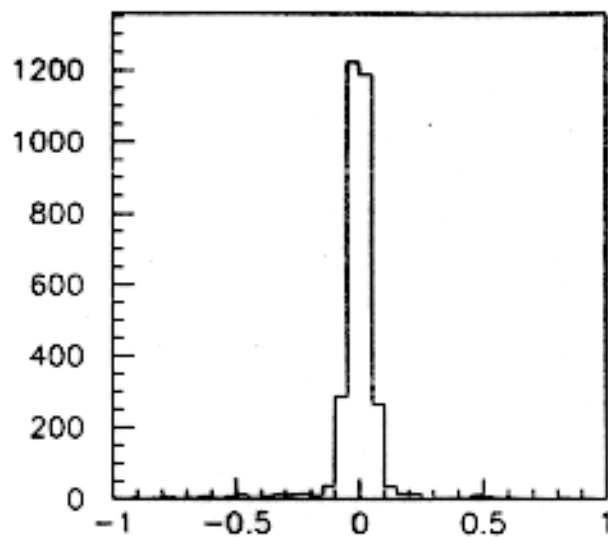
Break down



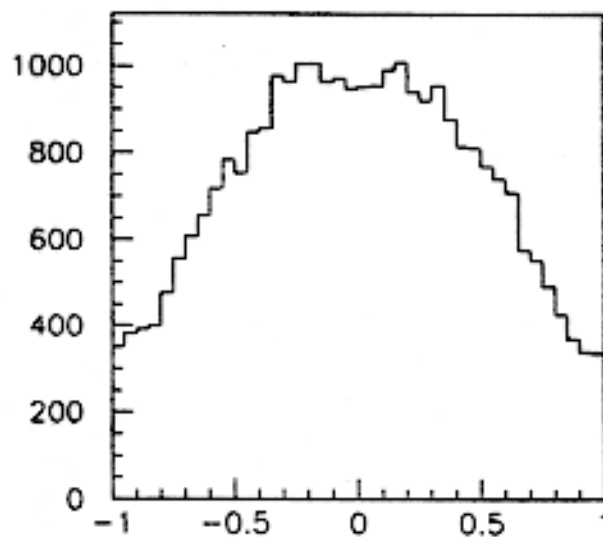
$\lambda \cos(\phi_i^*)$ region 3 ++++



MC kaons $\cos(\phi_i^*)$ region 3 ++++

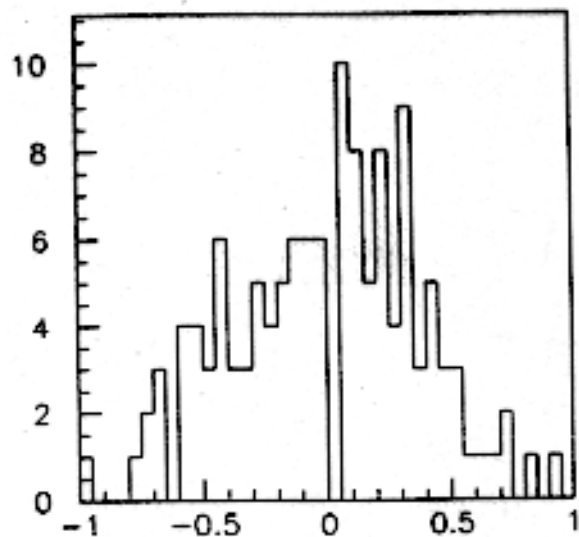


MC gamma $\cos(\phi_i^*)$ region 3 ++++

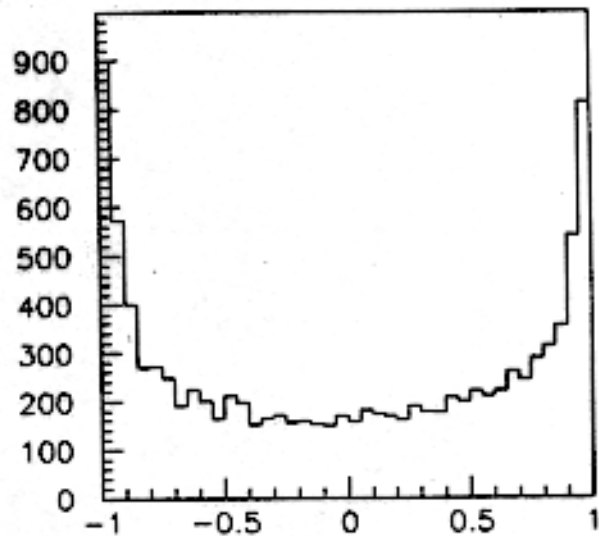


MC fakes $\cos(\phi_i^*)$ region 3 ++++

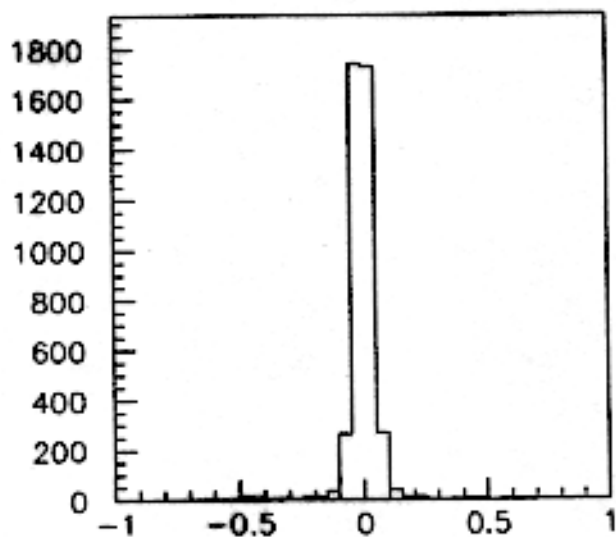
MC Region 4 Breakdown



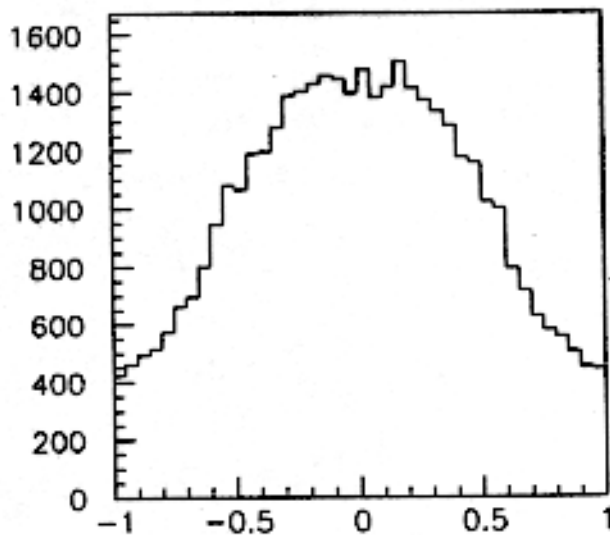
$\lambda \cos(\phi_i^*)$ region 4 ++++



MC koon $\cos(\phi_i^*)$ region 4 ++++



MC gamma $\cos(\phi_i^*)$ region 4 ++++



MC fokes $\cos(\phi_i^*)$ region 4 ++++

Likelihood fit of $\cos\psi^*$ distributions

$$d = \eta_K \frac{K(\cos\psi^*)}{N_K} + \eta_G \frac{G(\cos\psi^*)}{N_G} + \eta_F \frac{F(\cos\psi^*)}{N_F} + (1 - \eta_K - \eta_F - \eta_G) \times \frac{E_S(\cos\psi^*) S(\cos\psi^*)}{N_{E_S}}$$

K, F, E_S are 4th order polynomials taken from MC

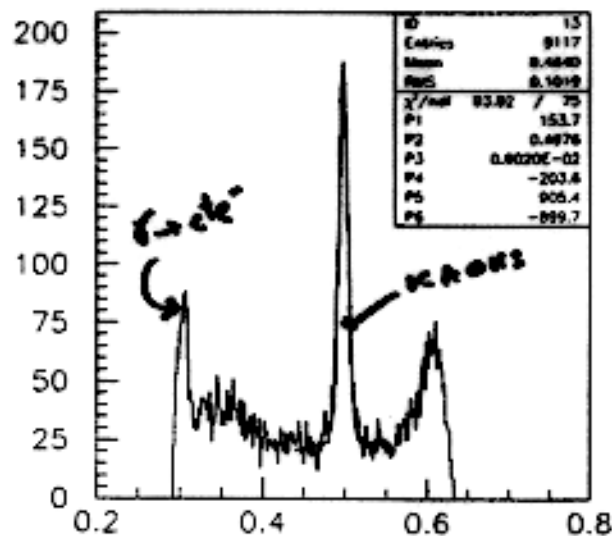
G is a Gaussian

$$S = 1 + a P \cos\psi^*$$

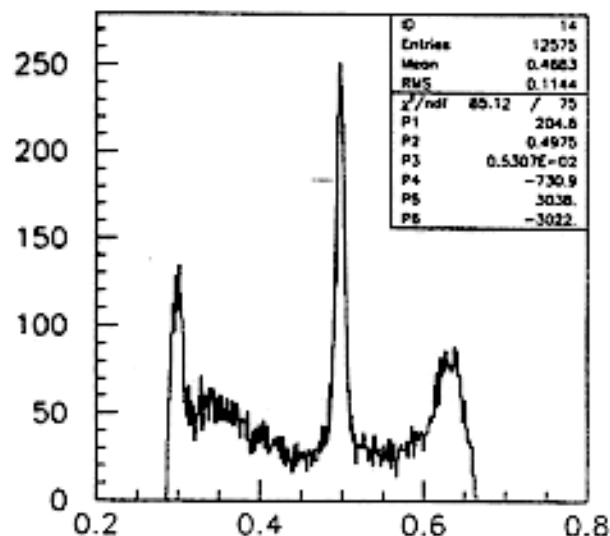
* Estimate η_K, η_F by data/MC comparison

* Fit for η_G and P

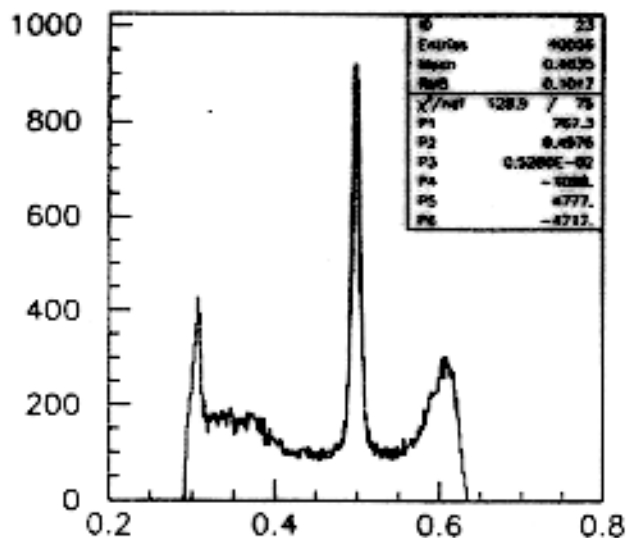
π-π MASS



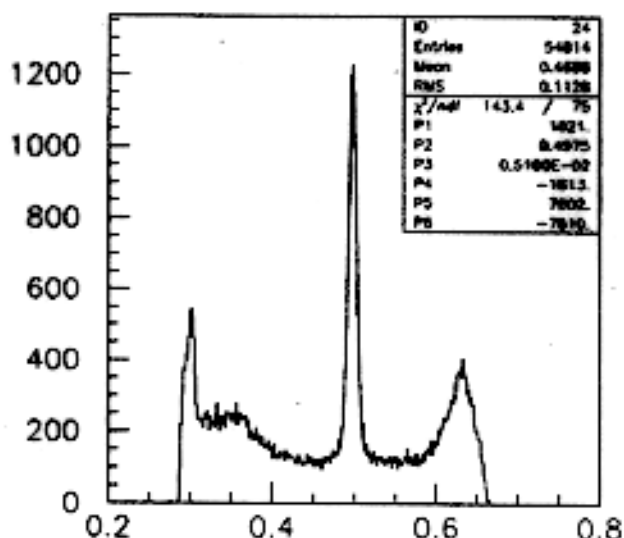
data pi-pi mass in region 3



data pi-pi mass in region 4

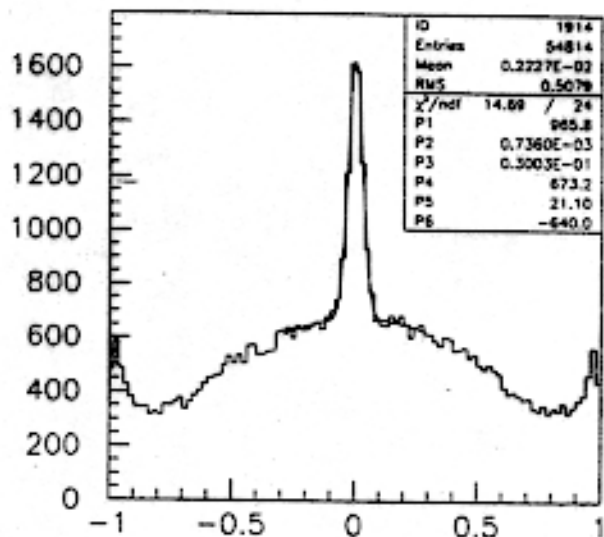
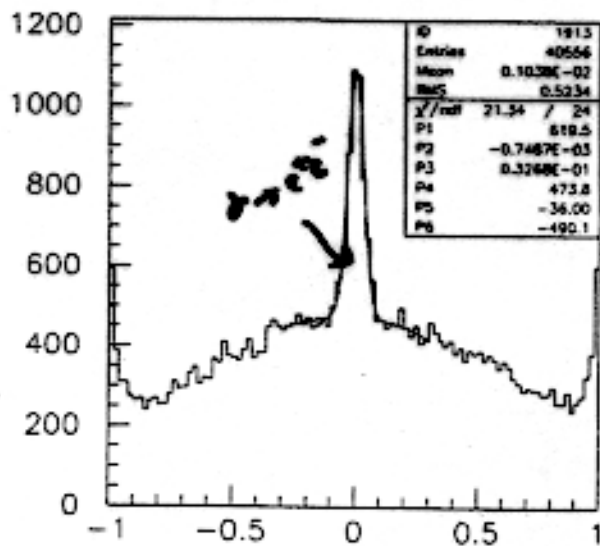


MC pi-pi mass in region 3



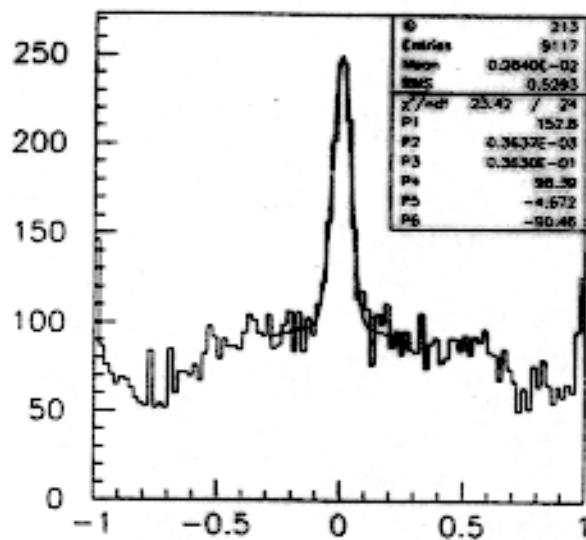
MC pi-pi mass in region 4

$\cos \psi^*$

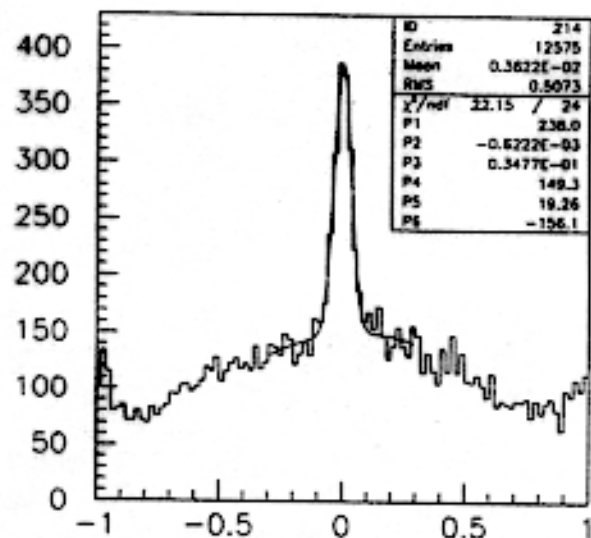


MC $\cos(\psi^*)$ in region 3

MC $\cos(\psi^*)$ in region 4

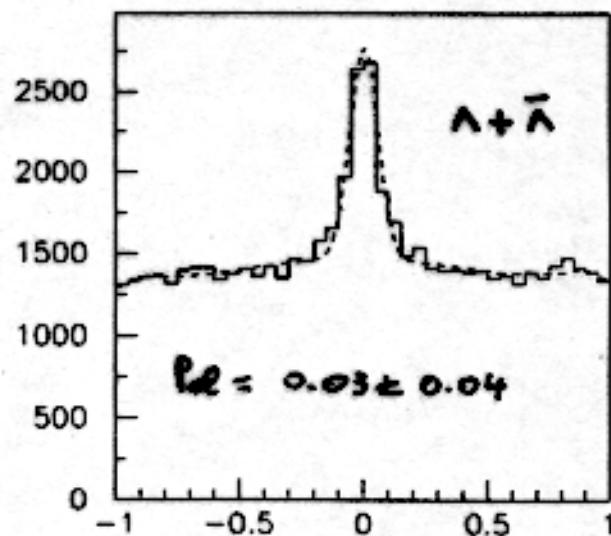


data $\cos(\psi^*)$ in region 3

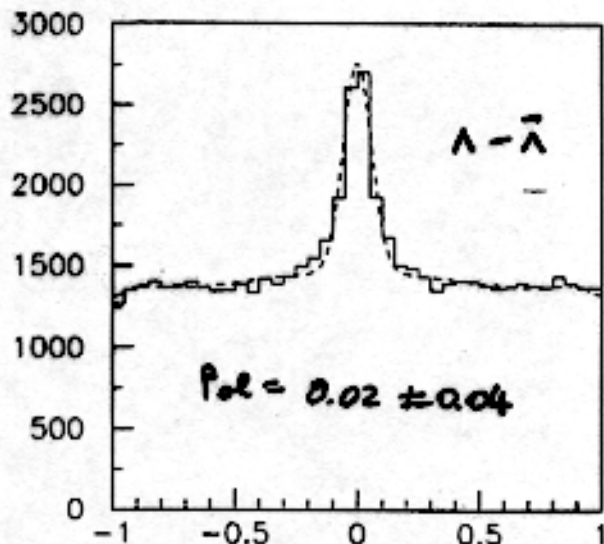


data $\cos(\psi^*)$ in region 4

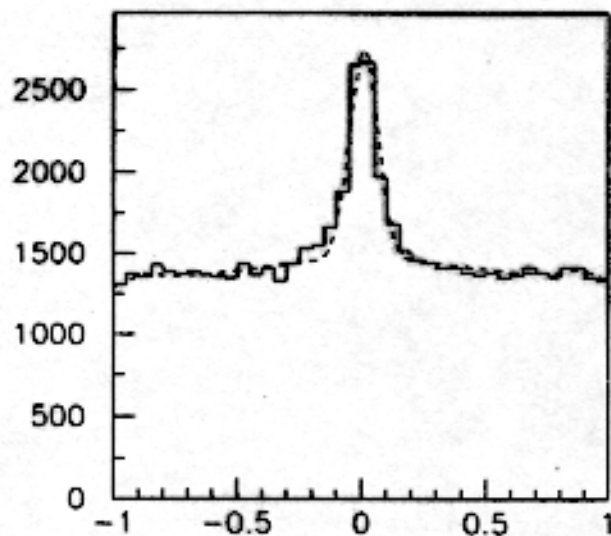
Fit for polarization



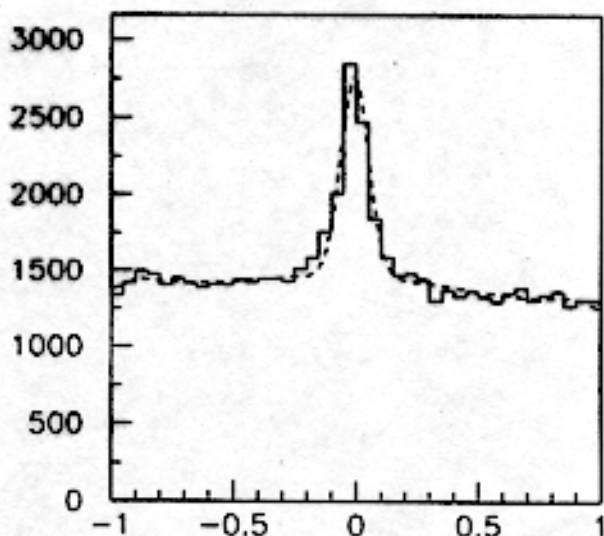
data $\cos(\phi_i^*)$ region 2 + + + +



data $\cos(\phi_i^*)$ region 2 + + - -

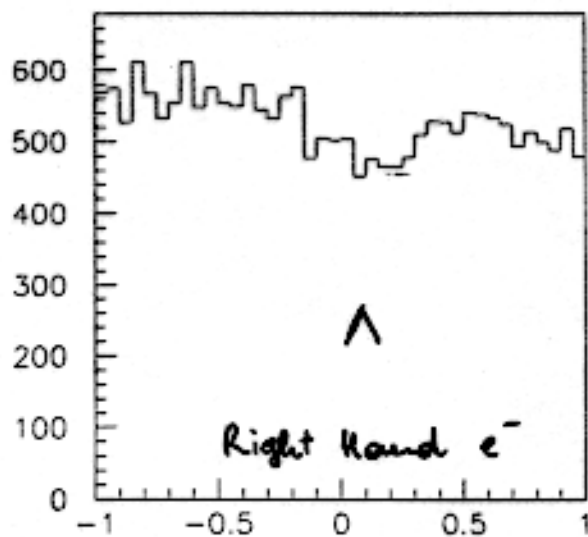


data $\cos(\phi_i^*)$ region 2 + - + -

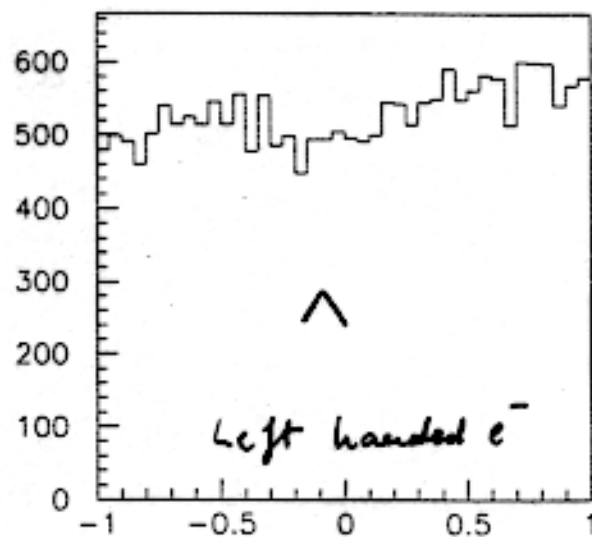


data $\cos(\phi_i^*)$ region 2 + - - +

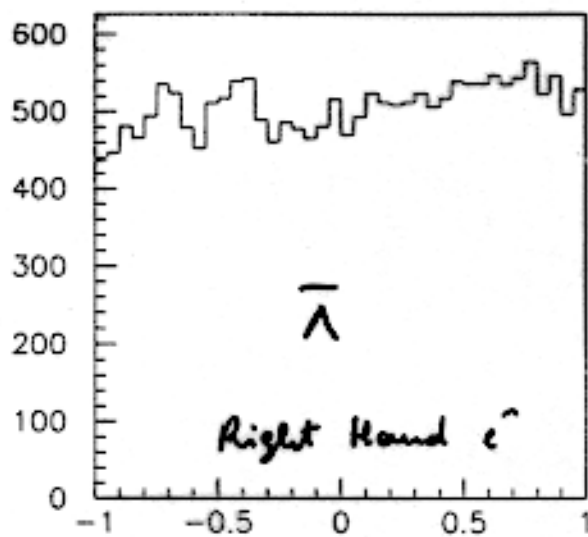
MC signal
 $(\wedge \cos \theta^*)$



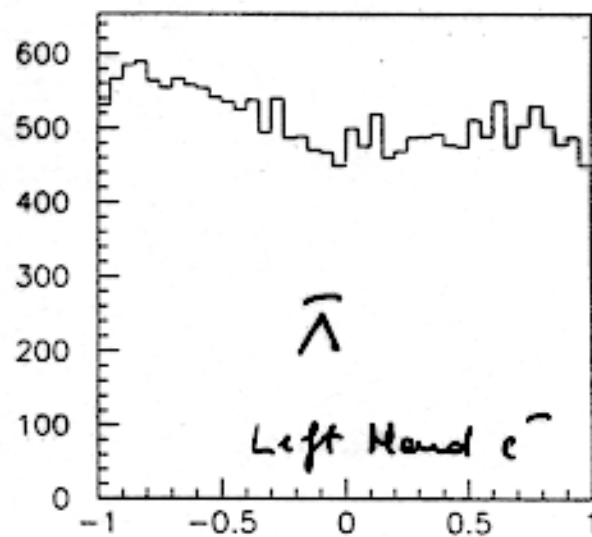
MC lambda $\cos(\theta^*)$ +ve pol in region 2



MC lambda $\cos(\theta^*)$ -ve pol in region 2



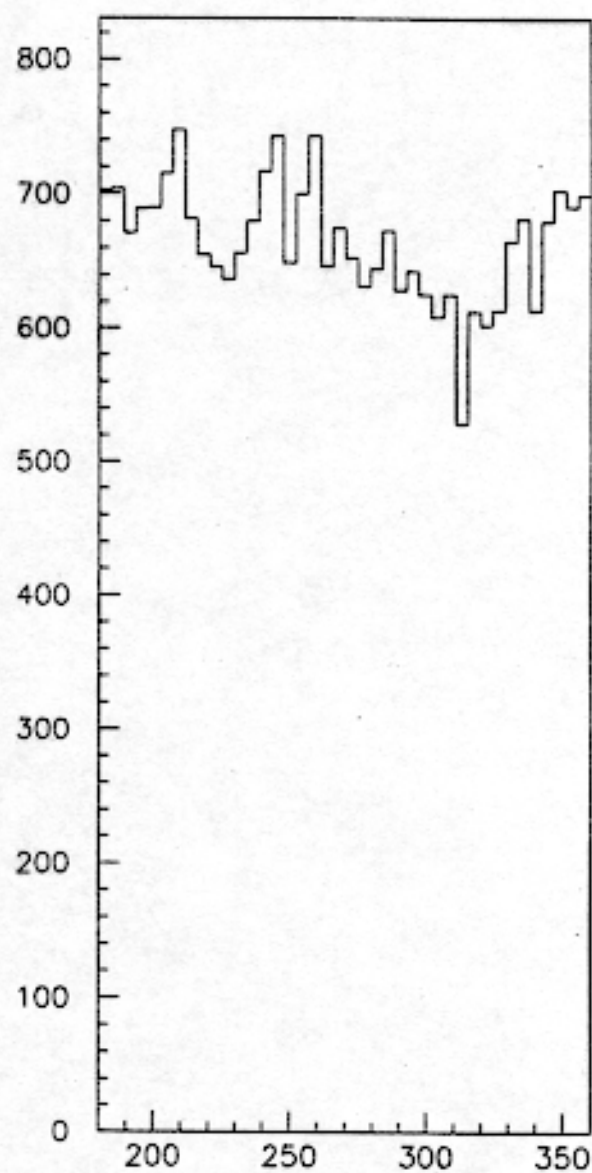
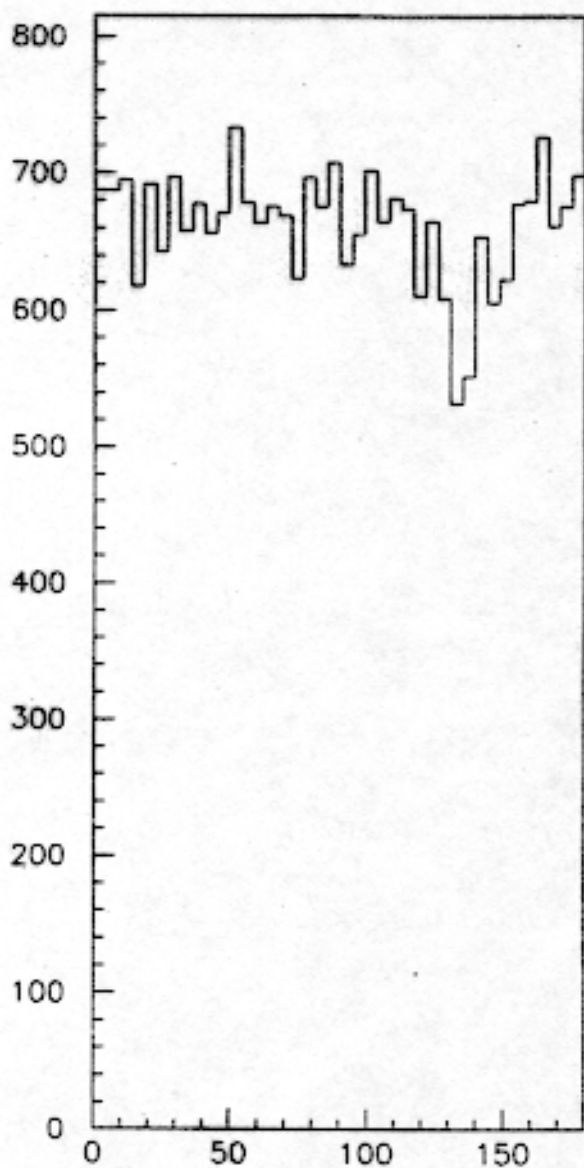
MC lambda bar $\cos(\theta^*)$ +ve pol in region 2



MC lambda bar $\cos(\theta^*)$ -ve pol in region 2

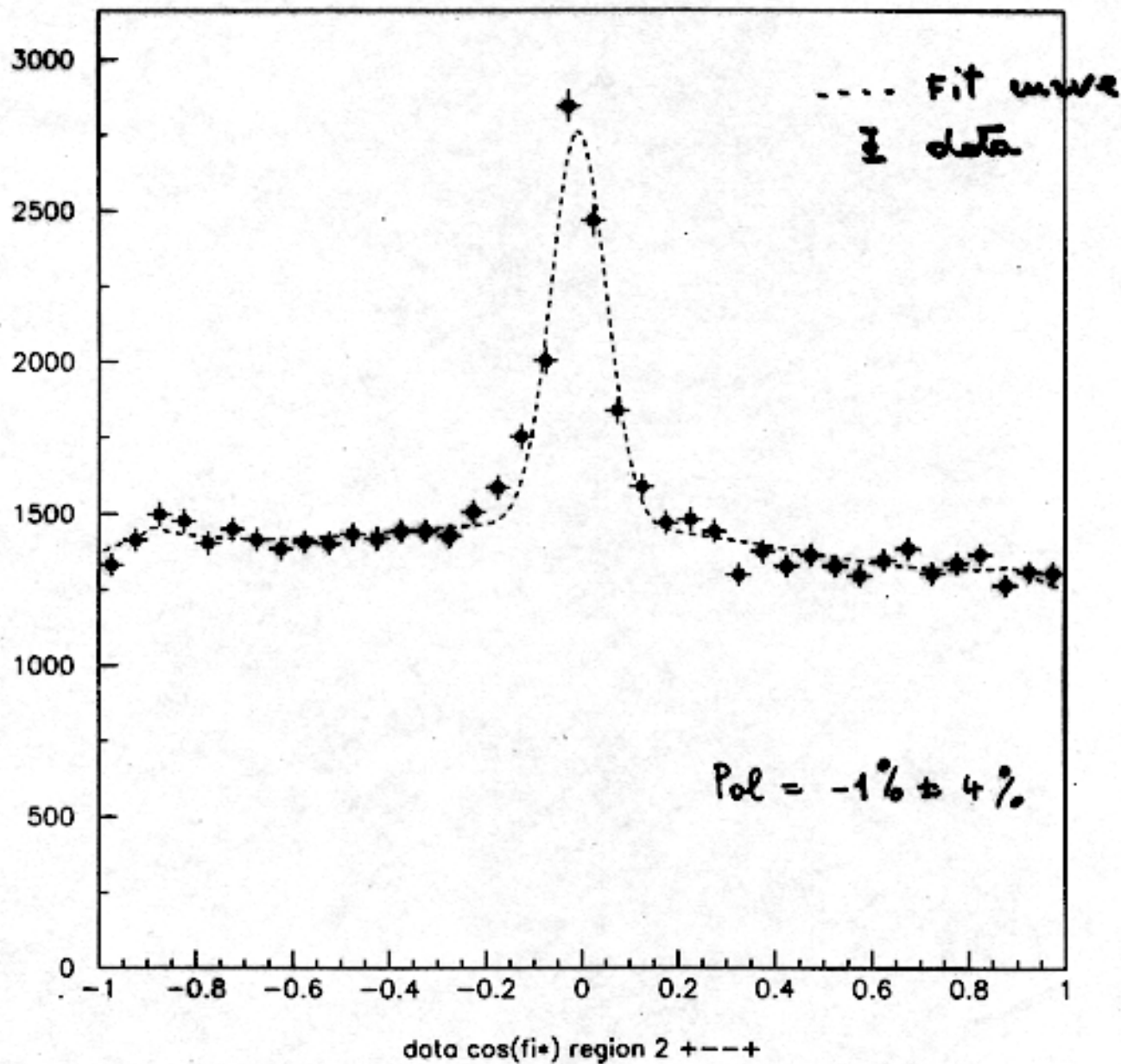
When we add \wedge and $\bar{\wedge}$ and/or +, - polarisation
 the effect tends to disappear

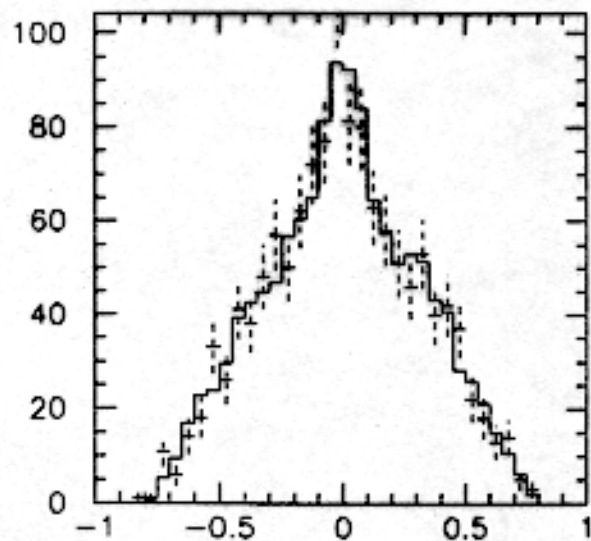
TRUE Reconstructed Λ vs ψ_{SLD}



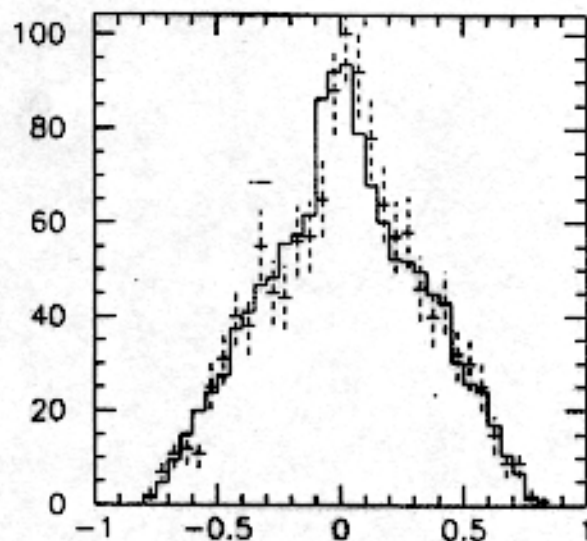
ψ_{SLD} (degrees)

Problem seems to disappear if
 Λ originated < 2 cm from IP.

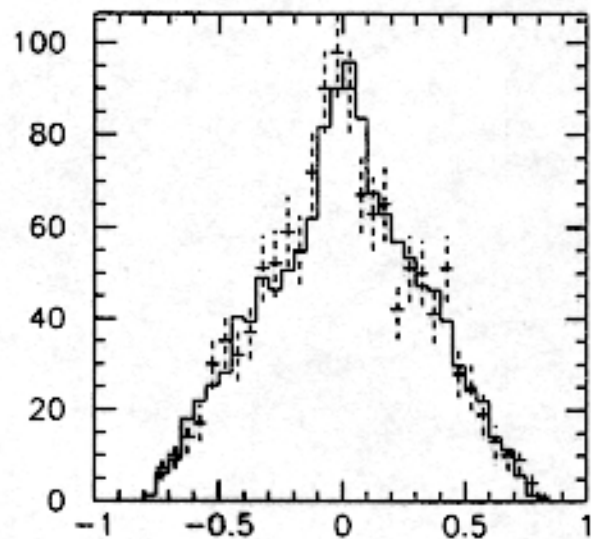




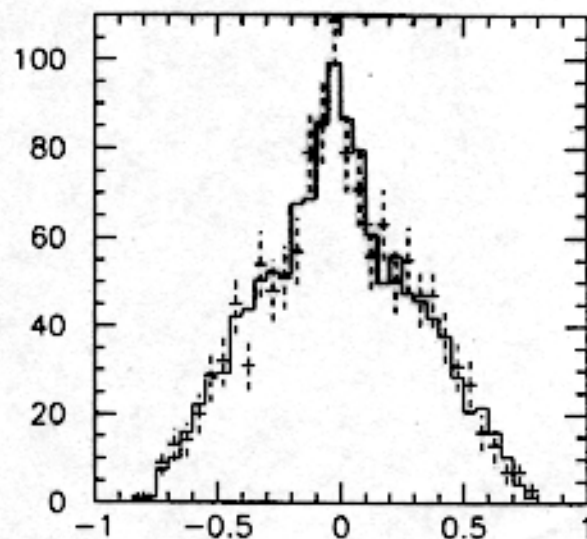
scaled MC koons region 1 + + + +



scaled MC koons region 1 + + - -



scaled MC koons region 1 + - - -



scaled MC koons region 1 + - - +

Summary

- * We have $\approx 3\sigma$ sensitivity for Pol $\approx 50\%$
No Polarisation yet, but
- * Need to explore P_T cuts
2 vs 3 jets
- * Optimise Λ selection cuts
- * Play with $\theta_{1-\hat{e}}$ for optimal resolution in
first axis direction.
- * Systematics
- * Preliminary results for Osaka.