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Beam-Gas-Bremsstrahlung and Coulomb Scattering in the NLC Beam Delivery System

Conditions for Calculation:

- 1. Program is DECAY TURTLE modified for BGB and Coulomb scattering. Used at PEP-I, SLC, PEP-II, and PEP-N. Now called Lost Particle TURTLE (LPTURTLE).
- 2. BDS model is P. Raimondi, BDS112, with $E_{\text{beam}} = 500 \text{ GeV}$.
- 3 Residual gas is 62% H₂, 22% CO, 16% CO₂ by pressure (L. Eriksson). This gives a radiation length of 771 m at 1 atm.
- 4. Start with P = 50 nTorr ==> Lrad = 1.17 x 10^{13} m, N_e = 1.4 x 10^{12} / pulse train
- 5. LPTURTLE forces BGB and coulomb scattering uniformly along the 1433 m beam line.
- 6. Output histograms in PAW (T. Fieguth format, modified for NLC BDS). Make separate histograms for BGB electrons, BGB photons, and coulomb scattered electrons. All histograms are arbitrary units. Tables 1 and 2 are actual rates.

7. Apertures (radius):

Octupoles	0.8 cm, 1.0 cm	3 absorbers in FF	0.3-0.9 cm
Sextupoles	1.0 cm	Vertex detector	1.2 cm
Quadrupoles	1.0 cm, 2.0 cm	Energy slit	0.34 cm (1.7%)
Dipoles	5.0 cm	New coll. at Z=55m,	0.5 cm

Conditions for calculation (cont.):

- 8. Octupoles off, apertures in place.
- "Final doublet" includes two quadrupoles, two sextupoles, one octupole. All final doublet apertures and 1st quadrupole in dump line are 1.0 cm radius.

<u>BGB</u>

 N_{BGB} /pulse train = t ln(E₂/E₁) N_{e-},

where,

 $E_2 = maximum photon energy = E_{heam}$

- E_1 = minimum photon energy = 0.01 E_{beam}
- t = # of radiation lengths in 1500 m beam line at 50 nTorr = $(1500/1.17 \times 10^{13}) = 1.28 \times 10^{-10} \text{ rl}$

 $N_{e_{-}} = 1.4 \text{ x } 10^{12} \text{ / pulse train}$

 $N_{BGB} = 825$ electrons and photons/pulse train in the BDS

Coulomb Scattering

 $N_{coul} = 4.52 \text{ x } 10^{-11} \text{ P(Torr)} N_{e} (1/E_{beam})^2 (L_{beam}) (1/\theta_{min}^2 - 1/\theta_{max}^2)$

where,

$$\Theta_{\min} = 10^{-5} \text{ rad},$$
$$\Theta_{\max} = 2 \times 10^{-3} \text{ rad}$$
$$E_{\text{beam}} = 500 \text{ GeV}$$
$$L_{\text{beam}} = 1500 \text{ m}$$

 $N_{coul} = 190$ electrons/pulse train in the BDS, @ 500 GeV/electron

<u>Rate Estimates for Other Processes</u> (ZDR and P. Tennenbaum, LCC Note 0051)

Inverse Compton Scattering from Thermal Photons

$$\begin{split} N_{thermal}/\text{pulse train} &= \sigma_T \, n_\gamma \, N_{e^-} \, L_{beam} \ , \\ \text{where,} \\ & \sigma_T \, (\Delta E > 0.01 E_{beam}) \approx 1.2 \text{ barns } @ E_{beam} = 500 \text{ GeV} \\ & n_\gamma \approx 20 \text{T}^3 \, \gamma/\text{cm}^3 = 5 \, \text{x} \, 10^8 \, \gamma/\text{cm}^3 \,, \quad \text{T} = 300 \text{ K} \\ & N_{e^-} = 1.4 \, \text{x} \, 10^{12} \, / \text{ pulse train} \\ & L_{beam} = 1500 \text{ m} \end{split}$$

 $< E_{\gamma} > = 0.07 \text{ ev} \ (a) T = 300 \text{ K}$

 $N_{thermal} = 126$ electrons/pulse train

Moller Scattering

$$N_{Moller} = 6.4 \text{ x } 10^{-12} \text{ P(Torr) } N_{e^-} (1/E_{beam})^2 (L_{beam}) (1/\theta_{min}^{-2})$$
(for small Θ_{min} and "NLC" gas)

where,

$$\Theta_{min} = 10^{-5} \text{ rad},$$

 $E_{beam} = 500 \text{ GeV}$
 $L_{beam} = 1500 \text{ m}$

 $N_{Moller} = 26$ electrons/pulse train @ ≈ 500 GeV/electron



BDS112 Apertures



X(mm)

BDS112 Beam-Gas-Brem Electrons



X(mm)











Number/20m







Number/10 GeV









BDS112 Beam-Gas-Brem Photons

X(mm)

BDS112 Coulomb Scattering - Electrons

X(mm)

2 NLC Coulomb Interaction Locations for Hits Near IP, BDS112

Number/20m

Number/20m

Table 1. Hits and Energy Deposited Near IP (per pulse train)

No new collimator for BGB P = 50 nTorr

TT.	BGB charged		BGB	BGB photons		Coulomb <u>Scattering</u>		All lost <u>particles</u>	
Hit Location	<u>N</u>	$\frac{\underline{E}_{dep}}{(GeV)}$	<u>N</u>	$\frac{\underline{E}_{dep}}{(GeV)}$	N	<u>E</u> dep (GeV)	<u>N</u>	<u>E</u> dep (GeV)	
Downstream	m								
Quad	3.8	1000	2.3	206	0.31	50	6.4	1356	
Vertex Detector 1.2 cm	2.8	470	0	0	0	0	2.8	470	
QD0	1.8	210	0.9	77	0.01	~0	2.71	287	
SD0	0.1	~0	0.7	69	0.12	60	0.92	129	
QF1	0.2	~0	1.3	121	0.10	50	1.6	171	
SF1	0.5	225	0.3	36	0.01	~0	0.81	261	
Octupole (Z=16m)	4.3	2050	2.7	244	0.06	30	$\frac{7.0}{22.3}$	<u>2324</u> 4998	

Table 2. Hits and Energy Deposited Near IP (per pulse train)

New horizontal collimator at 55m from IP, half-aperture = 0.5 cm P = 50 nTorr

II.	BGB charged		BGB photons		Coul <u>Scatt</u>	Coulomb <u>Scattering</u>		All lost <u>particles</u>	
Hit Location	<u>N</u>	$\frac{\underline{E}_{dep}}{(GeV)}$	<u>N</u>	$\frac{\underline{E}_{dep}}{(GeV)}$	<u>N</u>	<u>E</u> dep (GeV)	<u>N</u>	(<u>E</u> dep (GeV)	
Downstrea	m								
Quad	3.3	834	0.13	13	0.3	150	3.73	997	
Vertex Detector 1.2 cm	2.5	360	0	0	0	~0	2.50	360	
QD0	1.7	165	0	0	0.01	~0	1.71	165	
SD0	0.1	~0	0	0	0.11	55	0.21	55	
QF1	0.2	~0	0	0	0.10	50	0.30	50	
SF1	0	0	0	0	0.01	~0	0.01	~0	
Octupole (Z=16m)	0	0	0	0	0.01	~0	<u>0.01</u> 8.5	<u>~0</u> 1627	

Table 3. Compare Beam-Gas and e⁺/e⁻ Pair Backgrounds

BGB Hits at IP/Pulse Train

Compare NLC with TESLA TDR

TESLA TDR, p. IV-138:

 $P = 5 \times 10^{-9} \text{ mbar (of CO)} = 5 \times 10^{-12} \text{ atm} = 3.8 \text{ nTorr of CO}$

1 R.L. of CO = 304 m @ 1 atm, (NLC used R.L. = 771 m @ 1 atm (different gas))

TESLA Result: "3 x 10⁻³ electrons/bunch crossing leave the beam pipe near the IP" (no information about aperture and beam pipe sizes).

For a TPC with 55 µsec sensitive time (163 bunch crossings) this is $(3 \times 10^{-3})163 = 0.5/\text{TPC}$ sensitive time

Scale NLC Results to TESLA:

NLC = $(8.5/\text{pulse train}) (3.8 \text{ nT}/50 \text{ nT})(771/304)(2 \times 10^{10}/1.4 \times 10^{12})$ = 23 x 10⁻³/pulse train (NLC) vs. 3 x 10⁻³/bunch crossing (TESLA)

Why a factor of ≈ 8 different? Need to understand the TESLA result in detail to make sure we are comparing the same conditions. (If only NLC vertex detector hits are counted, the NLC/TESLA difference is only a factor of two.)

Summary and Conclusions

- 1. For a residual gas pressure of 50 nT get 8.5 hits/pulse train (1627 GeV) on apertures within ±15 m of the IP, and 2.5 hits/pulse train (360 GeV) on a 1.2 cm radius vertex detector. Rates are for each beam.
- 2. If the residual gas pressure was reduced to 1 nT in the last 250 m of the BDS, the above rates would be 0.2 and 0.05 hits/pulse train/beam respectively.
- 3. Adding a new collimator 55 m from the IP intercepts nearly all of the BGB photons and those BGB electrons which would otherwise have hit the outboard end of the final doublet
- 4. BGB hits in the vertex detector region are concentrated in the horizontal plane on on side of the IP beampipe. Increasing the beampipe radius from 1.0 to 2.0 cm eliminates about 2/3 of the hits in that region.
- 5. The energy/pulse train from BGB hits in the vertex detector region is about a factor of 40 less than the energy from e+/e- pairs for a 1 cm radius beampipe. However, the average energy/hit is 150 GeV for BGB and only 20 MeV/hit for e+/e- pairs.
- 6. There are not enough beam-gas-bremsstrahlung and coulomb scatters to cause a muon problem, even at 50 nT.

Future Work

- 1. Use GEANT for a BGB calculation. Need to make the radiation length of the residual gas large enough to force a statistically significant number of interactions, but small enough to make secondary interactions negligible, probably about 1% r.l.
- 2. Find out the details of the TESLA BGB calculation and understand the difference between the NLC and TESLA results.
- 3. For input to the detector GEANT simulation, use LPTURTLE to write out ntuples for particles that hit the vertex detector and other objects near the IP.
- 4. Put beam-gas-bremsstrahlung, coulomb scattering, inverse Compton scattering, and Moller scattering in the new Woodley/Raimondi version of TURTLE.
- 5. Check trigger rate from electroproduction of hadrons off gas molecules near the IP.

